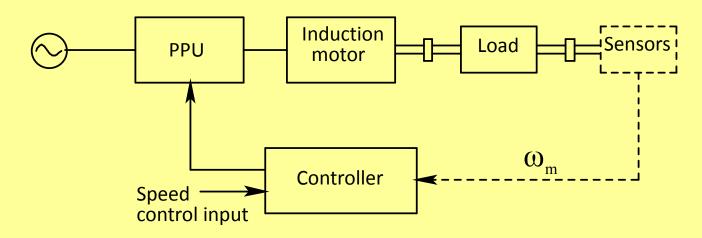
Induction Motors Drive: Speed Control

- Block Diagram
- Rotor Losses
- Minimizing Slip Speed
- Operating Characteristics at rated flux density
- V/f operation
- Including the drop across the Stator Resistance

Induction Motor Drives : Speed Control



- ☐ Efficient speed control over a wide range
 - Reduced voltage control (inefficient)
 - Frequency control (efficient)
- ☐ PPU drives induction motor with variable frequency to maintain low slip
- ☐ As frequency decreases, voltage must also decrease to avoid magnetic saturation

Rotor Losses

Power crossing air gap to rotor:

$$P_r = T_{em} \omega_{syn}$$

Power delivered through rotor to load:

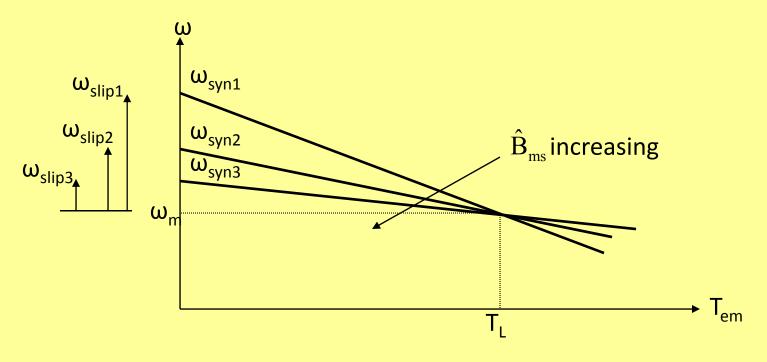
$$P_{em} = T_{em} \omega_m$$

Power lost in rotor:

$$P_{r,loss} = P_r - P_{em} = T_{em} (\omega_{syn} - \omega_m) = T_{em} \omega_{slip}$$

Therefore, to minimize rotor losses, ω_{slip} should be small

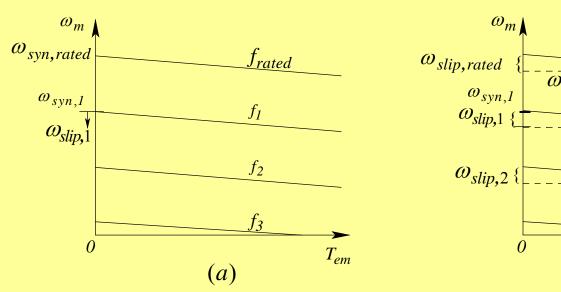
Minimizing ω_{slip} For A Given T_L and ω_m

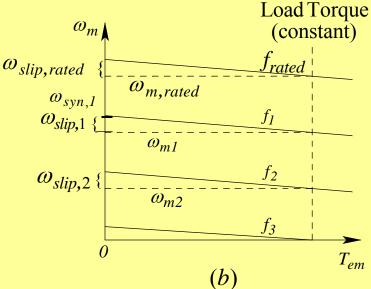


- ☐ Large flux density allows low slip
- $f \Box$ Keep \hat{B}_{ms} as large as possible maintain at $\hat{B}_{ms,rated}$

Operating Characteristics with

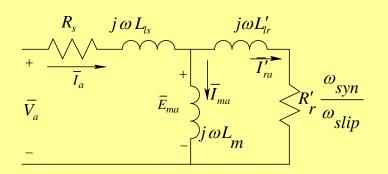
$$\hat{B}_{ms} = (\hat{B}_{ms})_{rated}$$

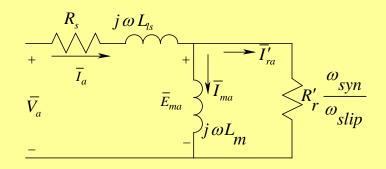


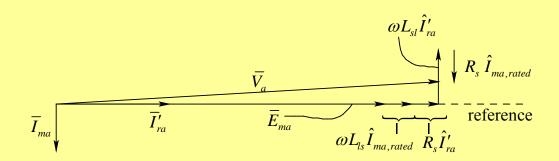


- ☐ If flux is kept constant, slope will be the same at every frequency
- ☐ Load torque and speed are met by adjusting frequency

Maintaining Over Operating Frequencies and Current Levels by Adjusting Voltage





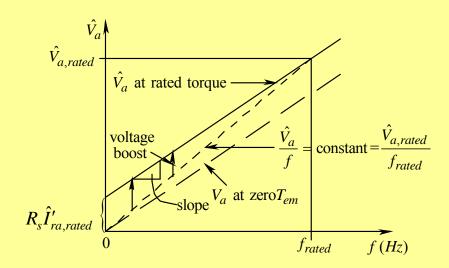


Maintaining $\hat{\mathbf{B}}_{ms,rated}$ Over Operating Frequencies and Current Levels by Adjusting Voltage (cont...)

- Maintaining constant $\hat{\mathbf{B}}_{ms}$ is equivalent to maintaining a constant (magnetizing current)
- Since $\hat{I}_{ma} = \frac{\hat{E}_{ma}}{\omega L_{m}}$, \hat{I}_{ma} or $\frac{\hat{E}_{ma}}{\omega}$ should be kept constant
- $\Box \quad \text{Ignoring R}_{\text{s}} \text{ and L}_{\text{ls}}, \text{ this means that} \frac{E_{\text{ma}}}{f} \text{ is a constant.} \\ \quad \text{As f decreases, so should V}_{\text{a}}. \text{ Constant volts per hertz.} \quad \frac{V_{\text{a}}}{f}$
- ☐ This is a good first-order approximation

Adjusting Voltage – Stator Resistance Included

- $oldsymbol{\Box}$ Approximation: $\hat{ ext{V}}_{ ext{a}} = ext{k} \cdot f$; $ext{k} = rac{\hat{ ext{V}}_{ ext{a,rated}}}{f_{ ext{rated}}}$
- Including voltage drop across R_s : $\hat{V}_a = k \cdot f + R_s \hat{I}'_{ra}$ $k = \frac{(\hat{V}_{a,rated} R_s \hat{I}'_{ra,rated})}{f_{rated}}$



For large torques, considerable voltage boost is needed at low frequencies. This is the $R_s \hat{I}'_{ra}$ term.

Summary

- Block Diagram
- Rotor Losses
- Minimizing Slip Speed
- Operating Characteristics at rated flux density
- V/f operation
- Including the drop across the Stator Resistance